# MAASAI MARA UNIVERSITY 

## REGULAR UNIVERSITY EXAMINATIONS 2022/2023 ACADEMIC YEAR SECOND YEAR FIRST SEMESTER

SCHOOL OF BUSINESS AND ECONOMICS BSC. ECONOMICS, FINANCIAL ECONOMICS \& ECONOMICS \& STATISTICS

## COURSE CODE: ECO 2104-1

## COURSE TITLE: PRODUCTION ECONOMICS

## INSTRUCTIONS TO CANDIDATES

1. Answer Question one and any two questions Time $\mathbf{2}$ hours.

## QUESTION ONE (20 MARKS)

a) Discuss the following aspects as regards production economics
i. Rate of product transformation
(1 mark)
ii. Elasticity of production
iii. The Law of diminishing Returns
(1 Mark)
(1 mark)
iv. Inverse production function (use a diagram) (2 Marks)
b) Suppose that the production function is given by

$$
y=2 x^{0.5}
$$

If the price of x is $\$ 3$ and the price of y is $\$ 5$. Derive the corresponding $V M P$ and $A V P$ functions. What is MFC? Solve for the profit maximizing level for input use $x$.
(5 Marks)
c) Illustrate mathematically the general conditions for profit maximization demonstrating the necessary and sufficient conditions for profit maximization.
(5 marks)
d) Explain the key sources of economies of scale
(5 marks)

## QUESTION TWO (15 MARKS)

a) Explain in detail the three stages of production in the neoclassical production function
(6 marks)
b) Given a production function: $y=x_{1}^{2}+x_{2}^{2}+x_{1} x_{2}$, is the production fuction homegenous? Explain
(5 marks)
c) Explain the characteristics of the Cobb Duglas type of function (4 marks)

## QUESTION THREE (15 MARKS)

a) Discuss what Euler's Theorem states and its significance in production economics
(4 marks)
b) Does the function $y=x_{1}+0.1 x_{1}^{2}-0.05 x_{1}^{3}+x_{2}+0.1 x_{2}^{2}-0.05 x_{2}^{3}$ ever achieve a maximum? If so at what level of input use is output maximised?
(6 marks)
c) Suppose that an enterprise with a greater expected income also resulted in a greater input variability than that for another enterprise. How could this situation be considered within a marginal analysis framework? ( $\mathbf{5}$ marks)

## QUESTION FOUR (15 MARKS)

a) Consider the production function of an Eldoret maize farmer using DAP fertilizer ( $\mathrm{X}_{1}$ ) and CAN Top dressing fertilizer ( $\mathrm{X}_{2}$ ) as variable inputs: $Y=$ $25 X_{1}^{2}+45 X_{1}+2.7 X_{2}^{2}+9.6 X_{2}-0.8 X_{1} X_{2}$.
i. Find the optimum level of wheat output (Y) (5 marks)
ii. The levels of $X_{1}$ and $X_{2}$ required to produce the maximum level of Y.
(4 marks)
b) Suppose that the product transformation function is given by
$x=2 y_{1}^{2}+3 y_{2}^{3}$ The price of y 1 is $\$ 5$ and the price of y 2 is $\$ 4$. Twelve units of x are available. How much x should be applied to y 1 and y 2 ? ( 6 Marks)

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